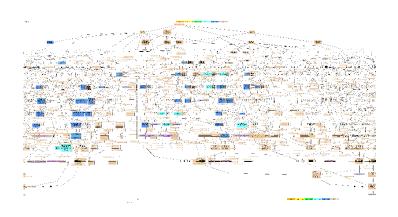
# Systematic Annotation

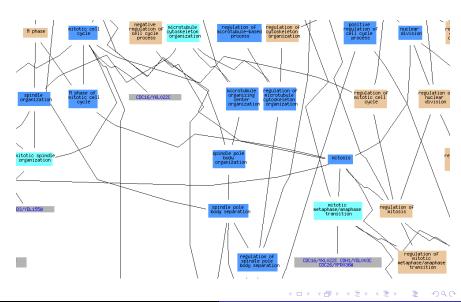
Mark Voorhies

4/5/2011

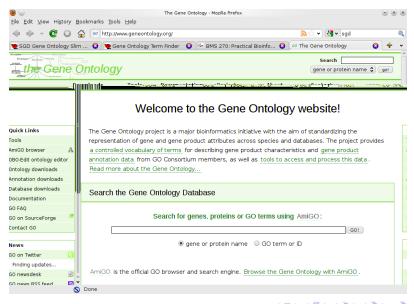
Three directed acyclic graphs (aspects):

- Biological Process
- Molecular <u>Function</u>
- Subcellular Component





#### The AmiGO browser



## Associating GO terms

How might we annotate genes with GO terms?

#### Associating GO terms

How might we annotate genes with GO terms?

- By sequence homology (e.g., BLAST)
- By domain homology (e.g., InterProScan)
- Mapping from an annotated relative (e.g., INPARANOID)
- Human curation of the literature (e.g., SGD)

#### Associating GO terms: Evidence codes

#### Experimental

- EXP: Inferred from Experiment
- IDA: Inferred from Direct Assay
- IPI: Inferred from Physical Interaction
- IMP: Inferred from Mutant Phenotype
- IGI: Inferred from Genetic Interaction
- IEP: Inferred from Expression Pattern

#### Computational Analysis

- ISS: Inferred from Sequence or Structural Similarity
- ISO: Inferred from Sequence Orthology
- ISA: Inferred from Sequence Alignment
- ISM: Inferred from Sequence Model
- IGC: Inferred from Genomic Context
- RCA: inferred from Reviewed Computational Analysis

#### Author Statement

- TAS: Traceable Author Statement
- NAS: Non-traceable Author Statement
- Curator Statement Evidence Codes
- IC: Inferred by Curator
- ND: No biological Data available

#### Automatically-assigned

- IEA: Inferred from Electronic Annotation
- Obsolete
  - NR: Not Recorded



- How might we annotate genes with GO terms?
- How do we calculate the significance of the GO terms associated with a particular group of genes?

How many transformants do we have to screen in order to "cover" a genome?

How many transformants do we have to screen in order to "cover" a genome?

Probability that a transformant has (1) disrupted gene:  $p_m$ 

Number of genes in organsim:  $N_g$ 

How many transformants do we have to screen in order to "cover" a genome?

Probability that a transformant has (1) disrupted gene:  $p_m$ 

Number of genes in organsim:  $N_g$ 

Probability that a specific gene is disrupted in a specific transformant:

$$p_d = p_m \left(\frac{1}{N_g}\right) = \frac{p_m}{N_g} \tag{1}$$

How many transformants do we have to screen in order to "cover" a genome?

Probability that a transformant has (1) disrupted gene:  $p_m$ 

Number of genes in organsim:  $N_g$ 

Probability that a specific gene is disrupted in a specific transformant:

$$\rho_d = \rho_m \left(\frac{1}{N_g}\right) = \frac{\rho_m}{N_g} \tag{1}$$

Probability of *not* disrupting that gene:

$$p_u = 1 - \frac{p_m}{N_g} \tag{2}$$



Probability of *not* disrupting that gene:

$$p_u = 1 - \frac{p_m}{N_q} \tag{3}$$

Probability of *not* disrupting that gene:

$$p_u = 1 - \frac{p_m}{N_g} \tag{3}$$

The probability of not disrupting that gene n independent times is:

$$p_{u,n} = \left(1 - \frac{p_m}{N_g}\right)^n \tag{4}$$

Probability of *not* disrupting that gene:

$$p_u = 1 - \frac{p_m}{N_g} \tag{3}$$

The probability of not disrupting that gene n independent times is:

$$p_{u,n} = \left(1 - \frac{p_m}{N_g}\right)^n \tag{4}$$

And the probability of disrupting that gene n independent times is:

$$\rho_{d,n} = 1 - \rho_{u,n} = 1 - \left(1 - \frac{\rho_m}{N_g}\right)^n \tag{5}$$

Probability of *not* disrupting that gene:

$$p_u = 1 - \frac{p_m}{N_g} \tag{3}$$

The probability of not disrupting that gene n independent times is:

$$\rho_{u,n} = \left(1 - \frac{\rho_m}{N_g}\right)^n \tag{4}$$

And the probability of disrupting that gene n independent times is:

$$p_{d,n} = 1 - p_{u,n} = 1 - \left(1 - \frac{p_m}{N_g}\right)^n \tag{5}$$

This is also the expected genome coverage.



Calculating the probability of zero events was easy.

$$\rho_{0,n} = \left(1 - \frac{\rho_m}{N_g}\right)^n \tag{6}$$

Calculating the probability of *zero* events was easy.

$$p_{0,n} = \left(1 - \frac{p_m}{N_g}\right)^n \tag{6}$$

What about exactly k events?

Calculating the probability of *zero* events was easy.

$$\rho_{0,n} = \left(1 - \frac{\rho_m}{N_g}\right)^n \tag{6}$$

What about exactly *k* events? Binomial distribution:

$$\rho_{k,n} = \binom{n}{k} \rho_m^k (1 - \rho_m)^{n-k} \tag{7}$$



Calculating the probability of zero events was easy.

$$p_{0,n}=\left(1\right)$$

1

#### Sampling without replacement: GO Annotation

The binomial distribution assumes that event probabilities are constant:

$$\rho_{k,n} = \binom{n}{k} \rho_m^k (1 - \rho_m)^{n-k} \tag{9}$$

What if there are m virulence factors in our genome, and every time we discover one it is magically removed from our library?

#### Sampling without replacement: GO Annotation

The binomial distribution assumes that event probabilities are constant:

$$p_{k,n} = \binom{n}{k} p_m^k (1 - p_m)^{n-k} \tag{9}$$

What if there are *m* virulence factors in our genome, and every time we discover one it is magically removed from our library? Hypergeometric distribution:

$$p_{k,m,n} = \frac{\binom{m}{k} \binom{N-m}{n-k}}{\binom{N}{n}} \tag{10}$$

#### Sampling without replacement: GO Annotation

The binomial distribution assumes that event probabilities are constant:

$$\rho_{k,n} = \binom{n}{k} \rho_m^k (1 - \rho_m)^{n-k} \tag{9}$$

What if there are *m* virulence factors in our genome, and every time we discover one it is magically removed from our library? Hypergeometric distribution:

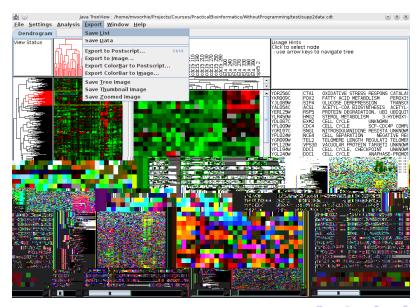
$$p_{k,m,n} = \frac{\binom{m}{k} \binom{N-m}{n-k}}{\binom{N}{n}} \tag{10}$$

More than one *disjoint* type of label:

$$\rho_{k_1,k_2,...,m_1,m_2,...,n} = \frac{\prod \binom{m_i}{k_i}}{\binom{N}{n}}$$
 (11)



## Extracting gene lists from JavaTreeView



#### The SGD GO Slim Mapper



## Alternatives to Hierarchical Clustering

GORDER and pre-clustering by SOM

## Alternatives to Hierarchical Clustering

- GORDER and pre-clustering by SOM
- Pre-calling number of clusters: k-means and k-medians

## Alternatives to Hierarchical Clustering

- GORDER and pre-clustering by SOM
- Pre-calling number of clusters: k-means and k-medians
- Principal Component Analysis (PCA)
  - See also ICA (Independent Component Analysis)

#### Homework

#### Read:

- PNAS 98:5116 (SAM)
- BMC Bioinformatics 5:54 (BAGEL)